

DEPARTMENT OF ELECTRICAL AND ELECTRONICS ENGINEERING

| | COURSE PL | AN – PART I | |
|--|---|--|--|
| Name of the programme and specialization | MATHEMATICS -1 | | |
| Course Title | Linear Algebra and Calcu | ılus | |
| Course Code | MAIR-11 | No. of Credits | 3 |
| Course Code of Pre- requisite subject(s) | | - Land | |
| Session | JULY 2019 | Section (if, applicable) | В |
| Name of Faculty | DR. V. SHANTHI | Department | MATHEMATICS |
| Official Email | vshanthi@nitt.edu | Telephone No. | 0431-2503673 9487440341 |
| Name of Course Coordinator(s) (if, applicable) | | | Transaction of L |
| Official E-mail | | Telephone No. | |
| Course Type (please tick appropriately) | Core course | Elective co | ourse |
| Syllabus (approved in | A Maria de Propinsion de Propinsion | | |
| Dimension. Inner product orthogonalization process matrices; Cayley-Hamilton Sequence and series: Control comparison test, Ratio test. Functions of two variable series, Maxima, minima and series. | et – Inner product spaces – (ss. Linear transformation. on Theorem. Quadratic formonvergence of sequence. In st, Root test, Raabe's test, Los: Limit, continuity and pa | Orthogonal and orthonor Eigenvalues and eigenvalues and eigenvalues Infinite series-Tests for Logarithmic test and Le Intial derivatives; Total Of Lagrange multipliers; | derivative, Jacobian, Taylor Double and triple integrals, |
| | 7 922 | | |
| COURSE OBJECTIVES | | | |
| : Objective of the course is | s to | | |
| introduce eigen va determine canonic | pace and inner product spa- lue and eigen vectors and it al form of given quadratic f gence of infinite series. | s properties. | |



| MAPPING OF COs with POs | |
|---|---|
| Course Outcomes | Programme Outcomes (PO) (Enter Numbers only |
| | |
| compute eigenvalues and eigenvectors of the given matrix. identity vector space and its basis. construct orthonormal basis for a given vector space. transform given quadratic form into canonical form. discuss the convergence of infinite series by applying various test. compute partial derivatives of function of several variables write Taylor's series for functions with two variables. evaluate multiple integral and its applications in finding area, volume | |

| 00115 | | COL | IRSE PLAN - PART | 11 | | |
|--------|-----------------------|--------|-----------------------|----------|------|---------------|
| COURS | E OVERVIEW | | | | | |
| | | | | | | |
| | | | | | | |
| | | | | | | |
| 001100 | | | | | | |
| | E TEACHING AND LE | ARNING | ACTIVITIES | | (A | dd more rows) |
| S.No. | Week/Contact Hours | | Topic | | | e of Delivery |
| 1 | | | | | | |
| COURSE | E ASSESSMENT MET | HODS (| shall range from 4 to | 6) | ii - | |
| S.No. | Mode of Assessm | | Week/Date | Duratio | | 0/ 10/ 1 |
| 1 | | | Trock Bate | Duration | П | % Weightage |
| 1 | Assesement 1 | | 6 th week | 1 hr | | 20 |
| 2 | Assesment 2 | | 11 th week | 1 hr | | 20 |



| 3 | Assignment | | 10 |
|-----|--------------------------|------|----|
| CPA | Compensation Assessment* | 1hr | 20 |
| 6 | Final Assessment * | 3hrs | 50 |

*mandatory; refer to guidelines on page 4

COURSE EXIT SURVEY (mention the ways in which the feedback about the course shall be assessed)

| accessificit (| o be specified) | | |
|----------------|---|---|------------------|
| S.No. | Week /contact hours | Topic | Mode of delivary |
| | 1 st 2 nd 3 rd and 4 th week 11 hrs | Vector space – Subspaces – Linear dependence and independence – Spanning of a subspace – Basis and Dimension. Inner product – Inner product spaces – Orthogonal and orthonormal basis – GramSchmidt orthogonalization process. Linear transformation. | Chalk and talk |
| | 5 th and 6 th week/ 6 hours | Eigenvalues and eigenvectors; Diagonalization of matrices; Cayley-Hamilton Theorem. Quadratic form | |



| <u>3</u> | | Sequence and series: | |
|-----------|--|--|---|
| | | Convergence of sequence. Infinite | |
| | 7 th 8 th and 9 th week | series-Tests for | |
| | 8 hours | convergence- Integral test, | |
| | | comparison test, | |
| | | Ratio test, Root test, Raabe's test, | |
| | ilia i | Logarithmic test | |
| | | and Leibnitz's test; Power series; | |
| | | | |
| | | Functions of two | |
| , | | variables: Limit. | |
| <u>4.</u> | 10 th ,11 th and 12 th week | continuity and partial derivatives; | |
| | 8hours | Total derivative, | |
| | n ₁ | Jacobian, Taylor series, Maxima, | |
| | | minima and saddle | |
| | _ | points; Method of Lagrange | |
| | | multipliers; | |
| | | | - |
| <u>5</u> | 13 th and 14 th week | Double and triple | |
| | 8hours | integrals, change of variables, multiple | |
| | onours | integral in | |
| | | cylindrical and spherical | |
| TENDANCE | POLICY (A uniform attendance | | |

ATTENDANCE POLICY (A uniform attendance policy as specified below shall be followed)

- > At least 75% attendance in each course is mandatory.
- > A maximum of 10% shall be allowed under On Duty (OD) category.
- > Students with less than 65% of attendance shall be prevented from writing the final assessment and shall be awarded 'V' grade.

ACADEMIC DISHONESTY & PLAGIARISM



- Possessing a mobile phone, carrying bits of paper, talking to other students, copying from others during an assessment will be treated as punishable dishonesty.
- Zero mark to be awarded for the offenders. For copying from another student, both students get the same penalty of zero mark.
- The departmental disciplinary committee including the course faculty member, PAC chairperson and the HoD, as members shall verify the facts of the malpractice and award the punishment if the student is found guilty. The report shall be submitted to the Academic office.
- > The above policy against academic dishonesty shall be applicable for all the programmes.

ADDITIONAL INFORMATION, IF ANY

Students can meet the course faculty for discussion after the class hours in office no #220, Department of Mathematics by fixing appointment through e-mail (vshanthi@nitt.edu) during office hours (9.30 am to 5.00 pm).

FOR APPROVAL

Course Faculty DR. V. SHANTHI

CC- Chairperson

HOD



Guidelines

- a) The number of assessments for any theory course shall range from 4 to 6.
- b) Every theory course shall have a final assessment on the entire syllabus with at least 30% weightage.
- c) One compensation assessment for absentees in assessments (other than final assessment) is mandatory. Only genuine cases of absence shall be considered.
- d) The passing minimum shall be as per the regulations.

| B.Tech. Admitted in | | | P.G. | |
|---------------------|------|-------------------------------------|----------------|-----|
| 2018 | 2017 | 2016 | 2015 | |
| 35% or (Class | | (Peak/3) or (Cl whichever is low | ass Average/2) | 40% |

- e) Attendance policy and the policy on academic dishonesty & plagiarism by students are uniform for all the courses.
- f) Absolute grading policy shall be incorporated if the number of students per course is less than 10.
- g) Necessary care shall be taken to ensure that the course plan is reasonable and is objective.