



COURSE PLAN – PART I			
Name of the programme and specialization	M.Sc., Mathematics/ 1 st Year		
Course Title	Linear Algebra		
Course Code	MA703	No. of Credits	03
Course Code of Pre-requisite subject(s)	NIL		
Session	July 2022	Section (if, applicable)	-
Name of Faculty	Dr. I. Jeyaraman	Department	Mathematics
Official Email	jeyaraman@nitt.edu	Telephone No.	9884164316
Name of Course Coordinator(s) (if, applicable)	-		
Official E-mail	-	Telephone No.	-
Course Type	<input checked="" type="checkbox"/> Core course	<input type="checkbox"/> Elective course	
Syllabus (approved in BoS)			
<p>Review of basic concepts: Vector spaces, Bases, Dimension, Linear Transformations – The matrix representation – Change of basis – Rank and Nullity – System of linear equations.</p> <p>Characteristic values and characteristic vectors – Eigenspaces – Algebraic and Geometric Multiplicities – Diagonalization - Minimal polynomial – Cayley-Hamilton Theorem.</p> <p>Invariant subspaces – Direct-sum Decompositions – Invariant Direct sums – The Primary Decomposition Theorem – The Jordan Canonical form.</p> <p>Basic review of Inner Product Spaces – Adjoint operators – Normal operators – Unitary Operators – Orthogonal projections – The spectral Theorem.</p> <p>Bilinear forms – Matrix representation – Quadratic forms – Positive definite forms - Sylvester's law of inertia.</p>			
ESSENTIAL READINGS : (Textbooks, reference books etc.)			
<p>1) Kenneth Hoffman and Ray Kunze, "<i>Linear Algebra</i>", PHI, 2010.</p> <p>2) Stephen H. Friedberg, Arnold J. Insel and Lawrence E. Spence, "<i>Linear Algebra</i>", PHI, 2013.</p> <p>3) Sheldon Axler, "<i>Linear Algebra Done Right</i>", Springer, 1997.</p> <p>4) Steven Roman, "<i>Advanced Linear Algebra</i>", Springer, 2008.</p>			



COURSE OBJECTIVES

1. To discuss various decompositions of vector spaces and linear transformations on vector spaces.
2. To study diagonalizable operator on a vector space and characterizations of it using the minimal and characteristic polynomials.
3. To introduce different classes of linear operators on inner product spaces and to study their structures.
4. To learn the concepts of bilinear and quadratic forms on vector spaces.

Mapping of Course Outcomes (COs) with Programme Outcomes (POs)

Course Outcomes (CO)	Programme Outcomes (PO)
<p>On completion of this course, students will be able to</p> <ol style="list-style-type: none"> 1. find characteristic values, characteristic vectors and the minimal polynomial of a linear transformation and to determine a linear transformation is diagonalizable. 2. decompose a vector space into a sum of invariant subspaces and a linear transformation into a direct sum of induced operators. 3. Construct the Jordan form of linear transformations and matrices. 4. determine a linear operator is normal, unitary and orthogonal projection and to construct the spectral decomposition of normal and self-adjoint operators. 5. construct the matrix of a bilinear form and to find index, rank and signature of a bilinear form. 	<p>(i) progress the critical analysis and problem solving skills required for research and development organization and industry (PO 1).</p> <p>(ii) engage independent and lifelong learning with a high level of enthusiasm and commitment to improve knowledge and competence continuously (PO3).</p> <p>(iii) contribute significantly in academics through teaching and research (PO 4).</p>

COURSE PLAN – PART II

COURSE OVERVIEW

- To discuss diagonalizable operator on a vector space and study characterizations of it using the minimal and characteristic polynomials.
- To explore Direct-sum and Primary decompositions and Jordan form.
- To introduce Adjoint, Normal and Unitary linear operators on inner product spaces and study their structures.
- To illustrate the concepts of bilinear and quadratic forms on vector spaces.



COURSE TEACHING AND LEARNING ACTIVITIES				
S.No.	Week/Contact Hours	Topic	Mode of Delivery	
1.	1 st , 2 nd & 3 rd week	Review of basic concepts: Vector spaces, Bases, Dimension, Linear Transformations – The matrix representation – Change of basis – Rank and Nullity – System of linear equations.	Chalk and Talk	
2.	4 th , 5 th & 6 th week	Characteristic values and characteristic vectors – Eigenspaces – Algebraic and Geometric Multiplicities – Diagonalization - Minimal polynomial – Cayley-Hamilton Theorem.	Chalk and Talk	
3.	7 th Week	Assessment - 1		
4.	7 th , 8 th & 9 th week	Invariant subspaces – Direct-sum Decompositions – Invariant Direct sums – The Primary Decomposition Theorem – The Jordan Canonical form.	Chalk and Talk	
5.	10 th , 11 th & 12 th week	Basic review of Inner Product Spaces – Adjoint operators – Normal operators – Unitary Operators – Orthogonal projections – The spectral Theorem.	Chalk and Talk	
6.	11 th Week	Assessment - 2		
7.	13 th & 14 th Week	Bilinear forms – Matrix representation – Quadratic forms – Positive definite forms - Sylvester's law of inertia.	Chalk and Talk	
8.	15 th Week	Final Assessment		
COURSE ASSESSMENT METHODS (shall range from 4 to 6)				
S.No.	Mode of Assessment	Week / Date	Duration	% Weightage
1.	Assessment- 1 (Cycle Test -1)	7 th Week	1½ hour	20%
2.	Assessment -2 (Cycle Test - 2)	11 th Week	1½ hour	20%



3.	Assessment -3 (Assignments)	6 th Week	7 Days	10%
4	Assessment -4 (Assignment/ Seminar)	12 th Week	7 Days	10%
CPA	Compensation Assessment	13 th Week	1½ hour	20%
5.	Final Assessment (Written Exam)	After 14 th Week	3 hours	40%

COURSE EXIT SURVEY (mention the ways in which the feedback about the course shall be assessed)

1. Feedback from the students during class committee meetings and in the class after the assessments 1 and 2.
2. Online feedback through questionnaire before the final assessment.
3. Student knowledge about the topics covered in this course will be judged through marks obtained in examination.

COURSE POLICY (preferred mode of correspondence with students, compensation assessment policy to be specified)

MODE OF CORRESPONDENCE (email / phone etc)

Students can contact the course faculty for clarifying doubts by fixing appointment through E-mail (jeyaraman@nitt.edu) or mobile (9884164316).

COMPENSATION ASSESSMENT POLICY

- a) Students who have missed either Assessment-1 or Assessment-2 or both can register for Compensation Assessment which shall be conducted soon after the completion of the Assessment-2 and before the Final Assessment.
- b) The Compensation Assessment shall be conducted for the weightage of 20% comprising the syllabus of both Assessment -1 & Assessment - 2.

ATTENDANCE POLICY (A uniform attendance policy as specified below shall be followed)

- **At least 75% attendance in each course is mandatory.**
- **A maximum of 10% shall be allowed under On Duty (OD) category.**
- **Students with less than 65% of attendance shall be prevented from writing the final assessment and shall be awarded 'V' grade.**



ACADEMIC DISHONESTY & PLAGIARISM

- Possessing a mobile phone, carrying bits of paper, talking to other students, copying from others during an assessment will be treated as punishable dishonesty.
- Zero mark to be awarded for the offenders. For copying from another student, both students get the same penalty of zero mark.
- The departmental disciplinary committee including the course faculty member, PAC chairperson and the HOD, as members shall verify the facts of the malpractice and award the punishment if the student is found guilty. The report shall be submitted to the Academic office.
- The above policy against academic dishonesty shall be applicable for all the programmes.

ADDITIONAL INFORMATION, IF ANY

FOR APPROVAL

T. Jeyaraman

Dr. I. Jeyaraman
(Course Faculty)

P. Saikrishnan
5/09/2022

Prof. P. Saikrishnan
CC-Chairperson

V. Lakshmana 05/09/2022

Dr. V. Lakshmana
Gomathi Nayagam.
HOD